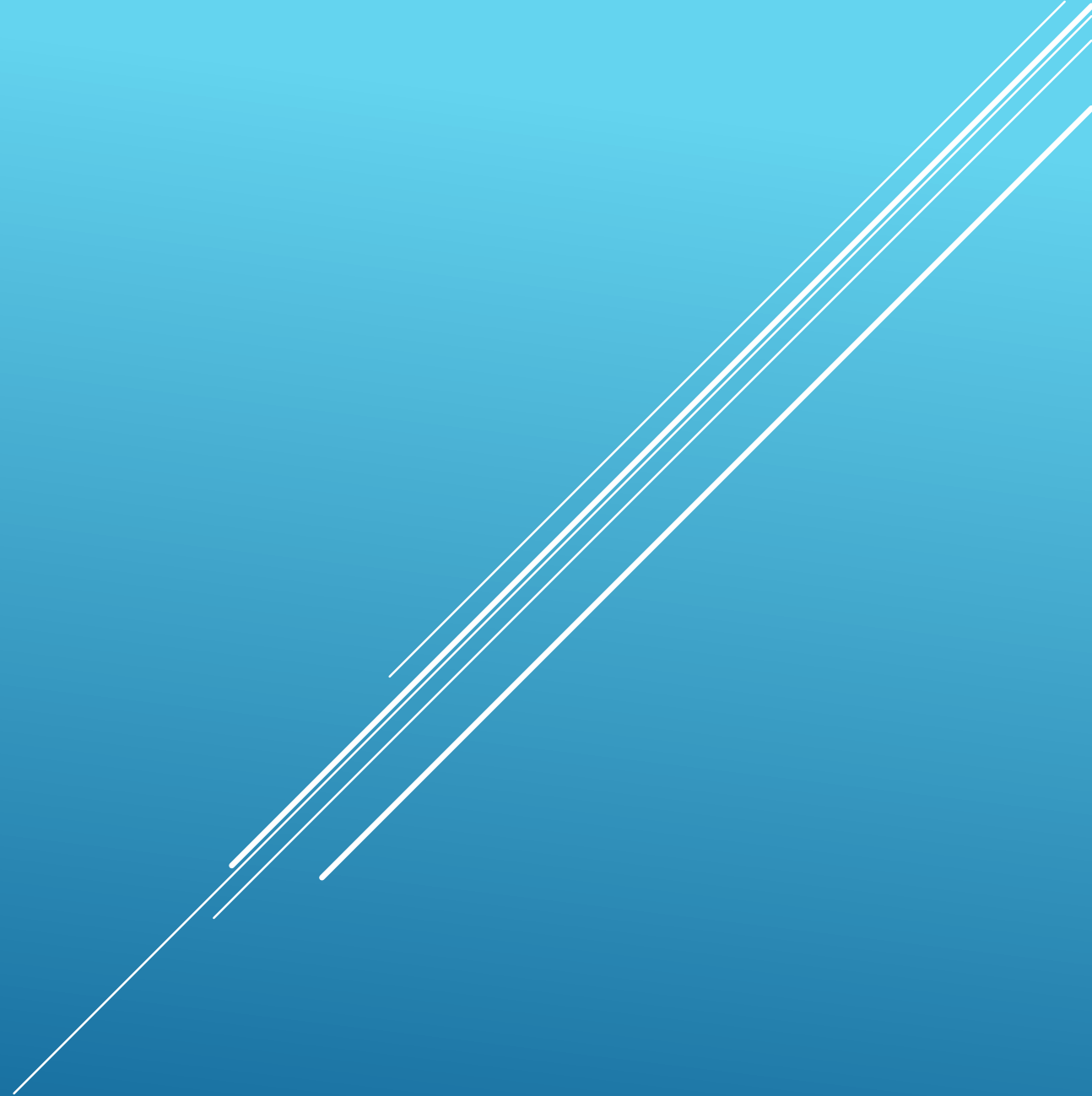


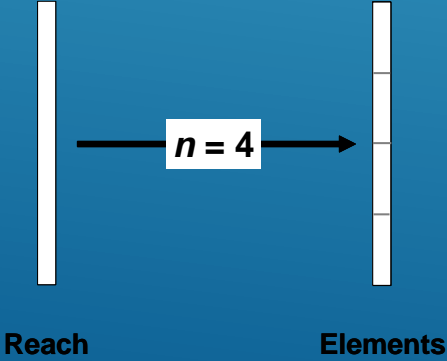
QUAL2K



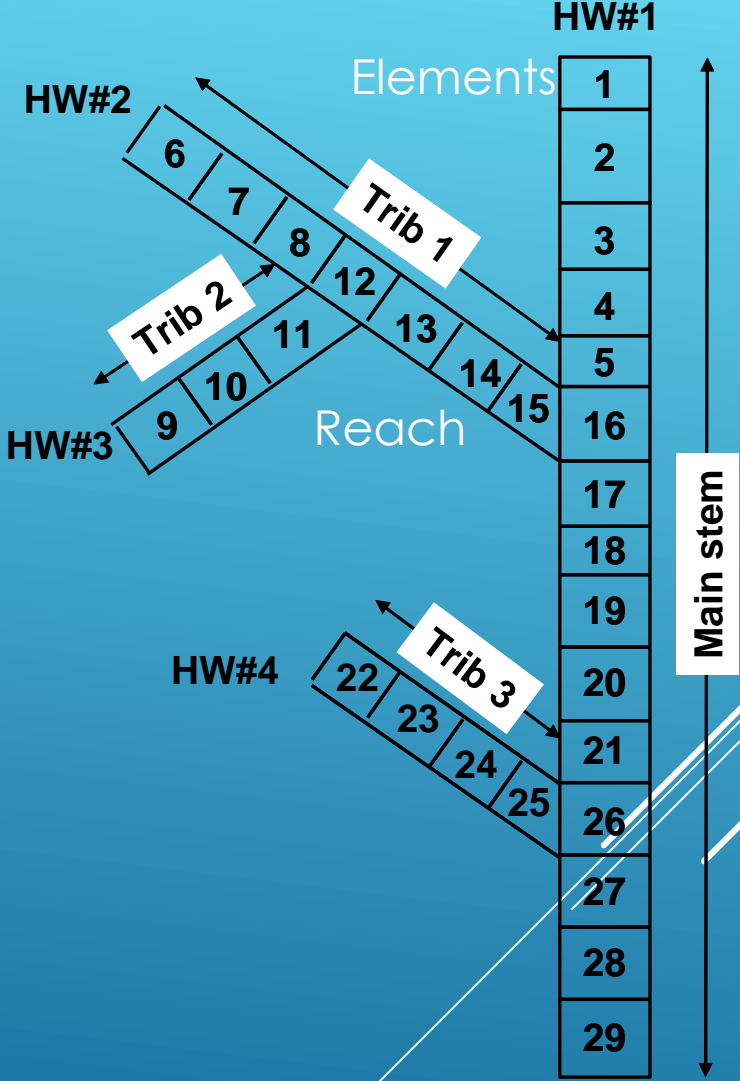
## ▶ SEGMENTATION AND HYDRAULICS



QUAL2K segmentation scheme for (a) a river with tributaries. The Q2K reach representation in (b) illustrates the reach, headwater and tributary numbering schemes.

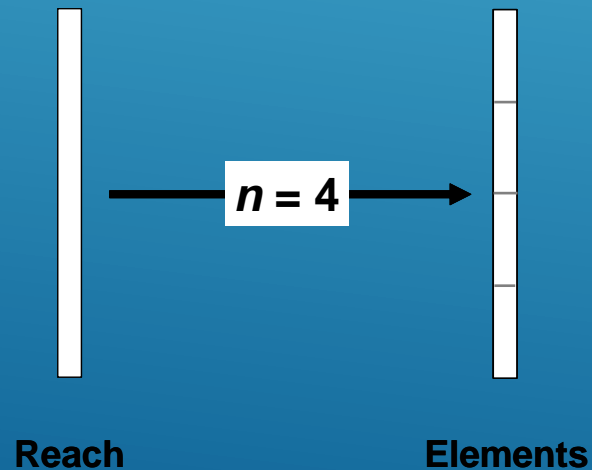


(a) A river with tributaries

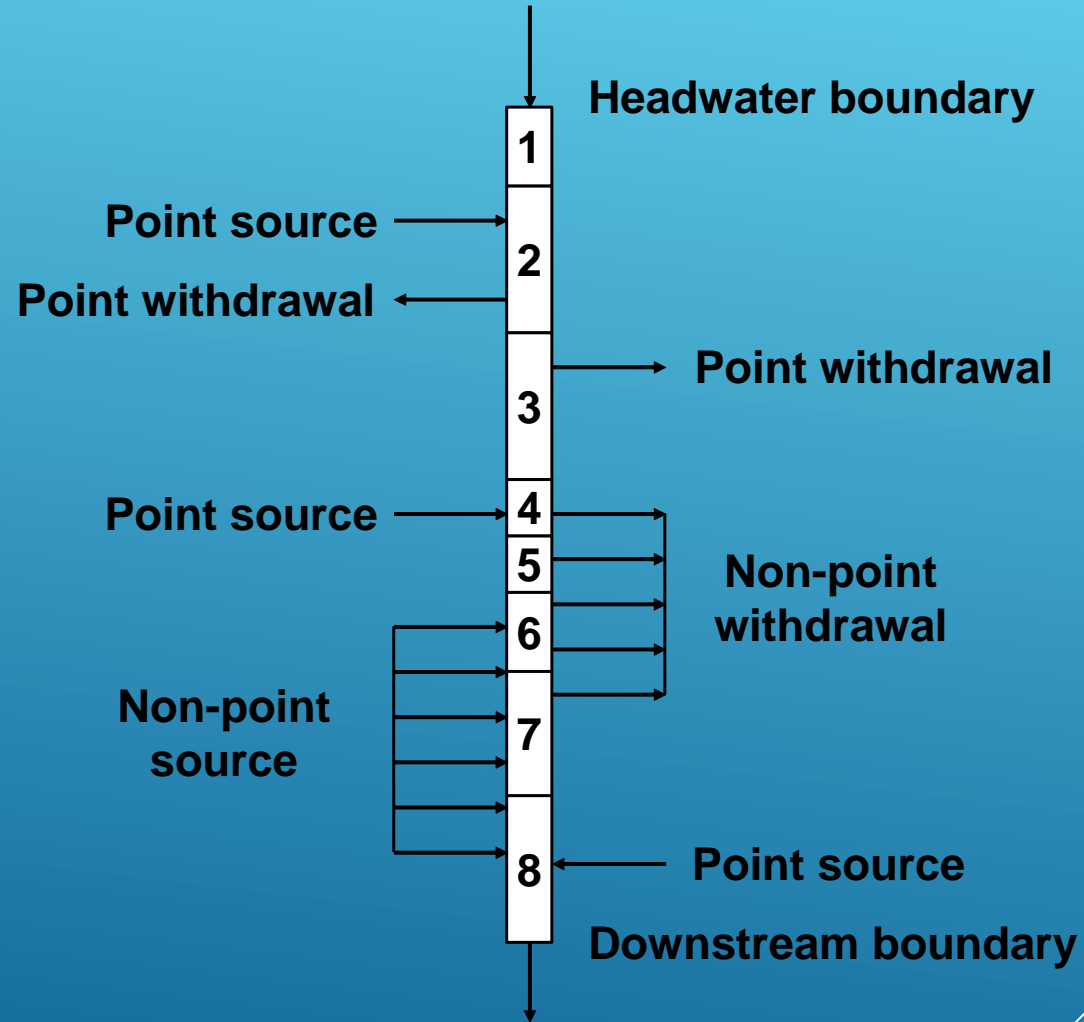


(b) Q2K reach representation

- Reach. A length of river with constant hydraulic characteristics.
- Element. The model's fundamental computational unit which consists of an equal length subdivision of a reach.
- Segment. A collection of reaches representing a branch of the system. These consist of the main stem as well as each tributary.
- Headwater. The upper boundary of a model segment.



**QUAL2K segmentation scheme  
for a river with no tributaries.**

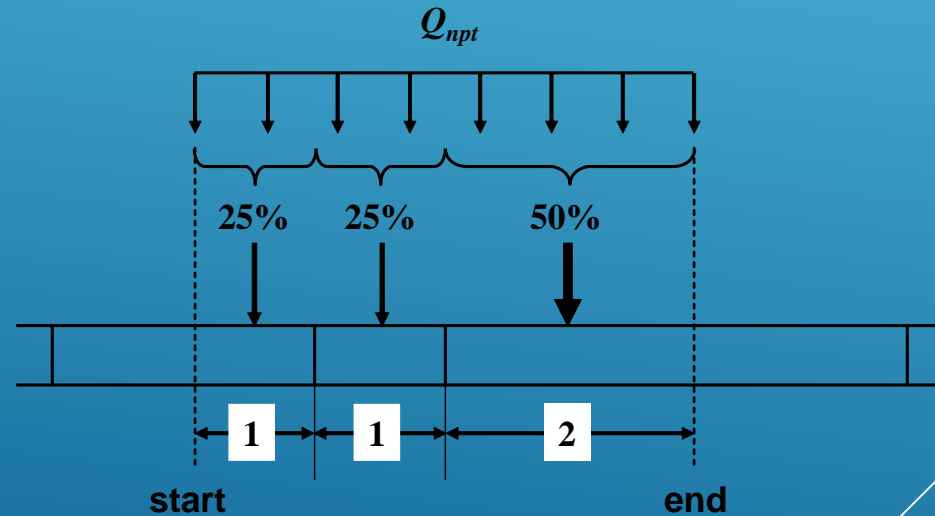
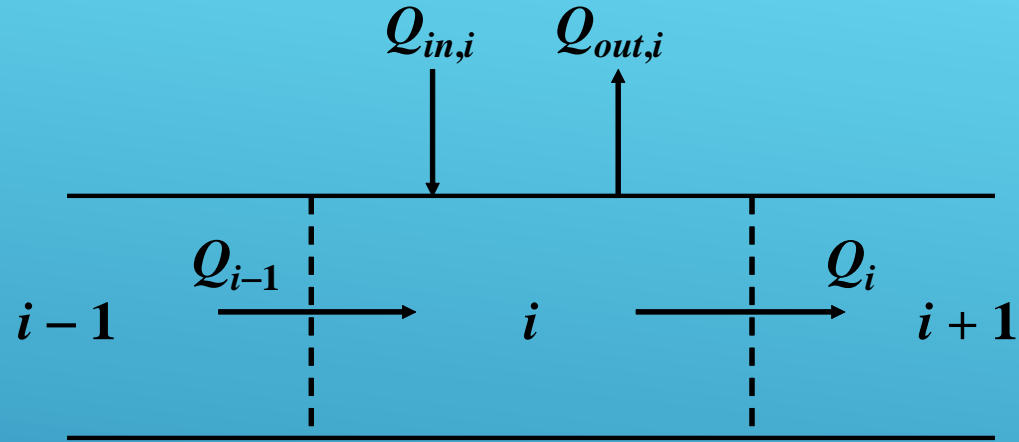


# Flow Balance

$$Q_i = Q_{i-1} + Q_{in,i} - Q_{out,i}$$

$$Q_{in,i} = \sum_{j=1}^{psi} Q_{ps,i,j} + \sum_{j=1}^{npsi} Q_{nps,i,j}$$

$$Q_{out,i} = \sum_{j=1}^{pai} Q_{pa,i,j} + \sum_{j=1}^{npai} Q_{npa,i,j}$$



non-point source flow is distributed to an element

# Spatial Discretization and Model Overview

$$V \frac{\partial c}{\partial t} = \frac{\partial(A_c E \frac{\partial C}{\partial x})}{\partial x} dx - \frac{\partial(A_c U c)}{\partial x} dx + V \frac{dc}{dt} + s$$

Accumulation      Dispersion      Advection      Kinetics      External sources/sinks

Transport

# Transport/ Advection

- If weir height and width are entered, the weir option is implemented.
- If the weir height and width are zero and rating curve coefficients are entered ( $a$  and  $\alpha$ ), the rating curve option is implemented.
- If neither of the previous conditions is met, Q2K uses the Manning equation.

1. Weirs

2. Rating Curves

3. Manning Equation



## Hydraulic Characteristics

- If weir height and width are entered, the weir option is implemented.
- If the weir height and width are zero and rating curve coefficients are entered ( $a$  and  $\alpha$ ), the rating curve option is implemented.
- If neither of the previous conditions is met, Q2K uses the Manning equation.

## 1. Weirs

$$Q_i = 1.83B_w H_h^{3/2}$$

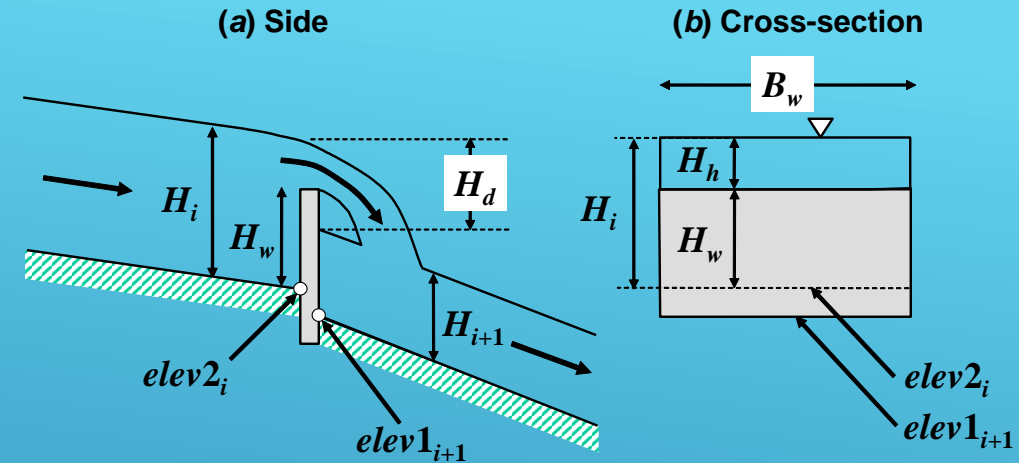
$$H_h = \left( \frac{Q_i}{1.83B_w} \right)^{2/3}$$

$$A_{c,i} = B_i H_i$$

$$U_i = \frac{Q_i}{A_{c,i}}$$

$$A_{s,i} = B_i \Delta x_i$$

$$V_i = B_i H_i \Delta x_i$$



## 2. Rating Curves

- If weir height and width are entered, the weir option is implemented.
- If the weir height and width are zero and rating curve coefficients are entered ( $a$  and  $\alpha$ ), the rating curve option is implemented.
- If neither of the previous conditions is met, Q2K uses the Manning equation.

Equation	Exponent	Typical value	Range
$H = \alpha Q^\beta$	b	0.43	0.4-0.6
$U = aQ^b$	b	0.45	0.3-0.5

$$U = aQ^b$$

$$H = \alpha Q^\beta$$

$$A_c = \frac{Q}{U}$$

$$B = \frac{A_c}{H}$$

$$A_s = B\Delta x$$

$$V = BH\Delta x$$

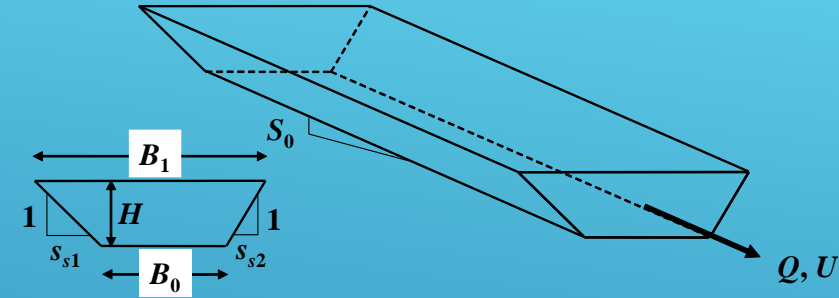


# Hydraulic Characteristics

- If weir height and width are entered, the weir option is implemented.
- If the weir height and width are zero and rating curve coefficients are entered ( $a$  and  $\alpha$ ), the rating curve option is implemented.
- If neither of the previous conditions is met, Q2K uses the Manning equation.

## 3. Manning Equation

$$Q = \frac{S_0^{1/2}}{n} \frac{A_c^{5/3}}{P^{2/3}}$$



MATERIAL	n
Man-made channels	
Concrete	0.012
Gravel bottom with sides:	
Concrete	0.020
mortared stone	0.023
Riprap	0.033
Natural stream channels	
Clean, straight	0.025-0.04
Clean, winding and some weeds	0.03-0.05
Weeds and pools, winding	0.05
Mountain streams with boulders	0.04-0.10
Heavy brush, timber	0.05-0.20

# Transport/ Dispersion

Two options are used to determine the longitudinal dispersion for a boundary between two elements. First, the user can simply enter estimated values on the **Reach Worksheet**.

If the user does not enter values, a formula is employed to internally compute dispersion based on the channel's hydraulics (Fischer et al. 1979),

$$E_{p,i} = 0.011 \frac{U_i^2 B_i^2}{H_i U_i^*}$$

# Kinetics

Variable	Symbol	Units*
Conductivity	s	$\mu\text{mhos}$
Inorganic suspended solids	$m_i$	mgD/L
Dissolved oxygen	o	mgO <sub>2</sub> /L
Slowly reacting CBOD	$c_s$	mgO <sub>2</sub> /L
Fast reacting CBOD	$c_f$	mgO <sub>2</sub> /L
Organic nitrogen	$n_o$	$\mu\text{gN/L}$
Ammonia nitrogen	$n_a$	$\mu\text{gN/L}$
Nitrate nitrogen	$n_n$	$\mu\text{gN/L}$
Organic phosphorus	$p_o$	$\mu\text{gP/L}$
Inorganic phosphorus	$p_i$	$\mu\text{gP/L}$
Phytoplankton	$a_p$	$\mu\text{gA/L}$
Detritus	$m_o$	mgD/L
Pathogen	X	cfu/100 mL
Alkalinity	Alk	mgCaCO <sub>3</sub> /L
Total inorganic carbon	$c_T$	mole/L
Bottom algae biomass	$a_b$	mgA/m <sup>2</sup>
Bottom algae nitrogen	IN <sub>b</sub>	mgN/m <sup>2</sup>
Bottom algae phosphorus	IP <sub>b</sub>	mgP/m <sup>2</sup>

\* mg/L  $\equiv$  g/m<sup>3</sup>; In addition, the terms D, C, N, P, and A refer to dry weight, carbon, nitrogen, phosphorus, and chlorophyll a, respectively. The term cfu stands for colony forming unit which is a measure of viable bacterial numbers.

# Kinetics

Model kinetics and mass transfer processes. The state variables are defined in Table 5. Kinetic processes are dissolution (ds), hydrolysis (h), oxidation (ox), nitrification (n), denitrification (dn), photosynthesis (p), respiration (r), excretion (e), death (d), respiration/excretion (rx). Mass transfer processes are reaeration (re), settling (s), sediment oxygen demand (SOD), sediment exchange (se), and sediment inorganic carbon flux (cf).

